MATH 109, Spring 2018

Mathematical Reasoning , HW 2

Due Tuesday April 17th by 10AM in Roman Kitsela's box

From Hammack's Book of Proof:

- Exercises $\underline{1.3}$ (A): 6
- Exercises <u>1.3</u> (B): *10*
- Exercises <u>1.3</u> (C): *16*
- Exercises <u>1.4</u> (A): 2, 12
- Exercises <u>1.4</u> (B): 18, 20
- Exercises $\underline{1.5}$ (-): 4, 6, 8
- Exercises $\underline{1.6}$ (-): 2, 4, 6
- Exercises <u>1.7</u> (–): 8

Problem I. Recall that the binomial coefficient $\binom{n}{m}$ is the number of ways one can choose *m* elements out of *n* elements. Give a combinatorial argument explaining the relation

$$\binom{n}{0} + \binom{n}{1} + \binom{n}{2} + \dots + \binom{n}{n} = 2^n.$$